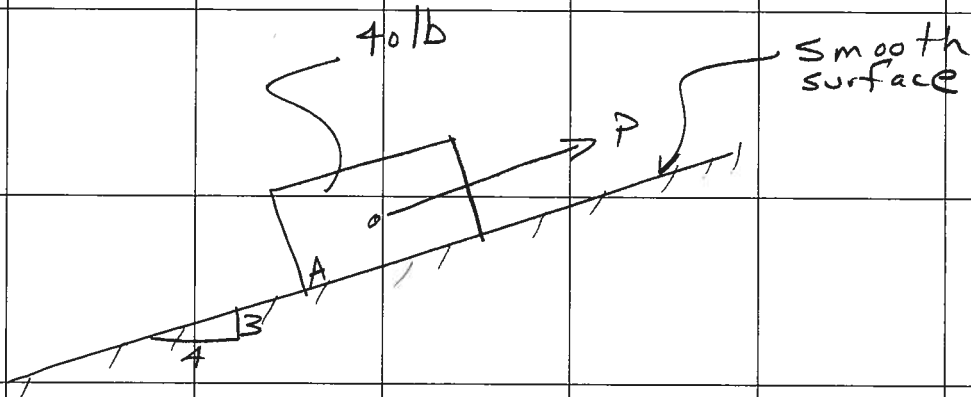
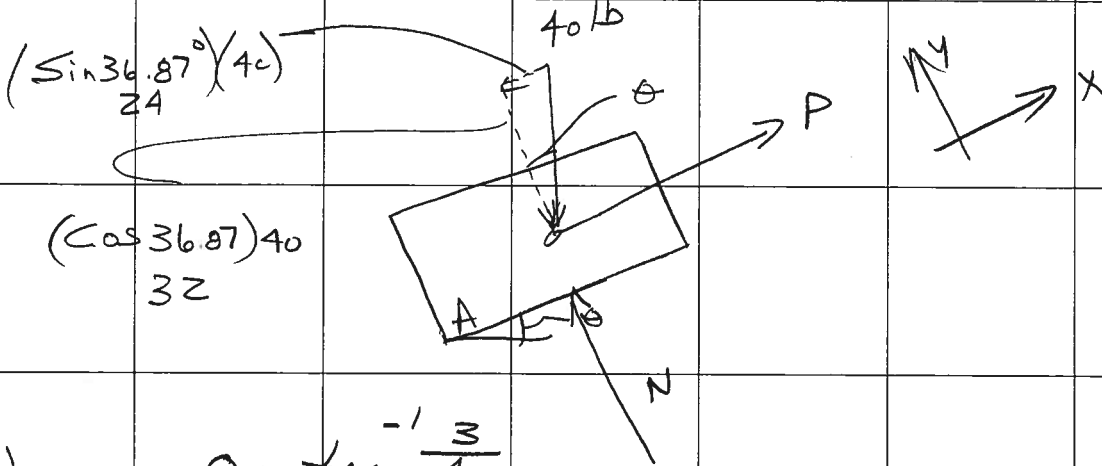


Block A shown rests on a smooth frictionless surface. The block weighs 40 lb. Determine the minimum force,  $P$ , required to keep the block from slipping down the incline.



The first step is to draw a F.B.D. of the block. Orient the coordinate axes as shown



(1)  $\theta = \tan^{-1} \frac{3}{4}$

(2)  $\theta = 36.87^\circ$

Scalar Equations of Equilibrium

$$\sum F_y = 0$$

(3)

$$-32 + N = 0$$

(4)

$$N = 32 \text{ lb}$$

↑ as shown

$$\sum F_x = 0$$

(5)

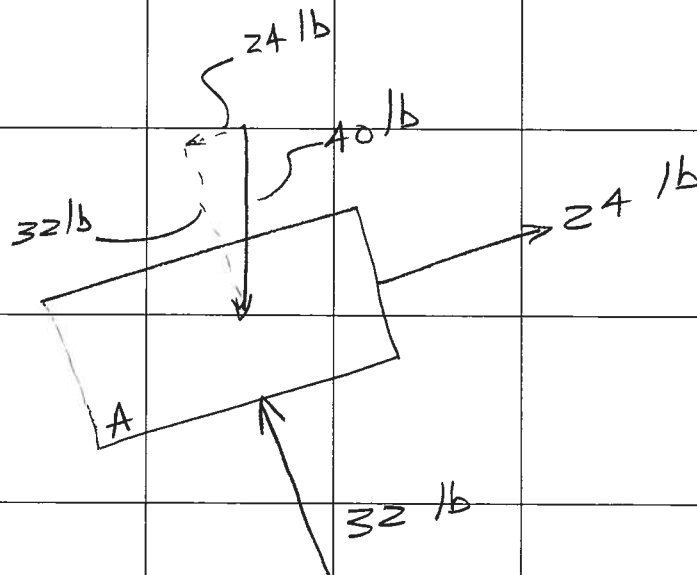
$$-24 + P = 0$$

(6)

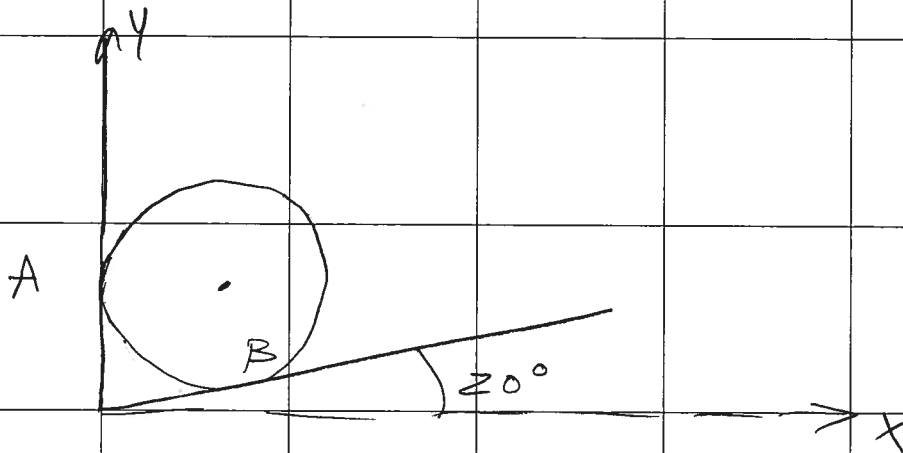
$$P = 24 \text{ lb}$$

↗ as shown

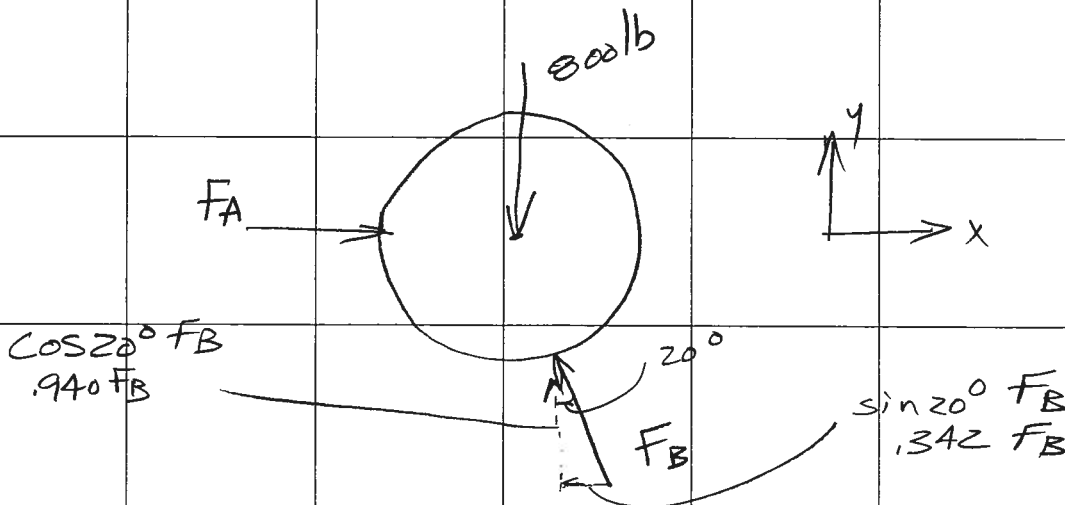
Show results on F.B.D



A homogeneous cylinder rests against two smooth surfaces as shown. The cylinder weighs 800 lb. Determine the forces exerted on the cylinders at contact points A and B.



The first step is to draw a F.B.D. of the cylinder. Remember that contact forces between cylinders and flat surfaces are normal to the flat surfaces.



Scalar equations of equilibrium

$$\sum F_y = 0$$

(1)  $-800 + .940 F_B = 0$

(2)  $F_B = 851.1 \text{ lb}$   $\uparrow$  as shown

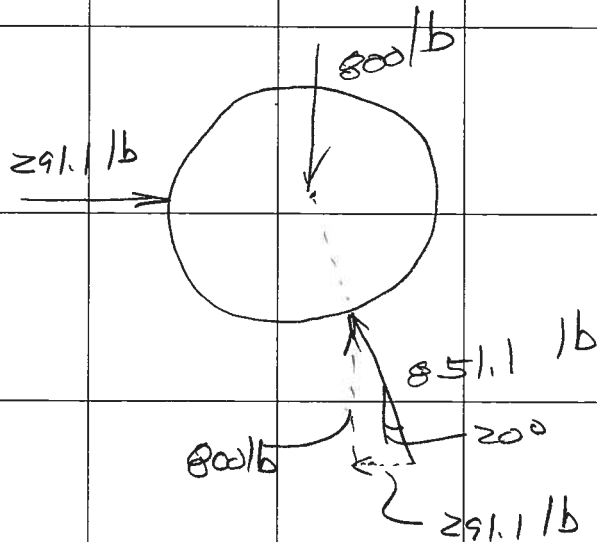
$$\sum F_x = 0$$

(3)  $F_A - .342 F_B = 0$

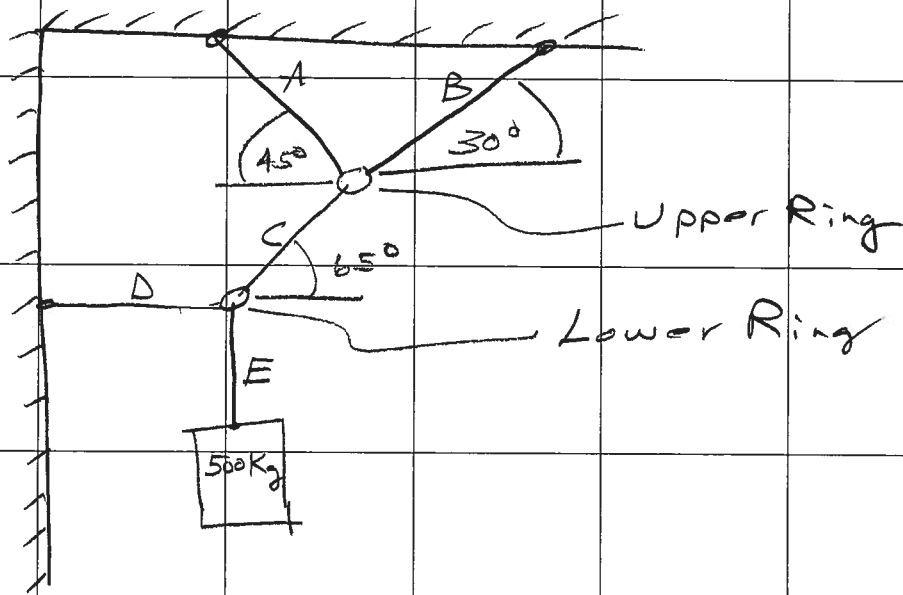
(4)  $F_A = .342 (851.1)$

(5)  $F_A = 291.1 \text{ lb}$   $\rightarrow$  as shown

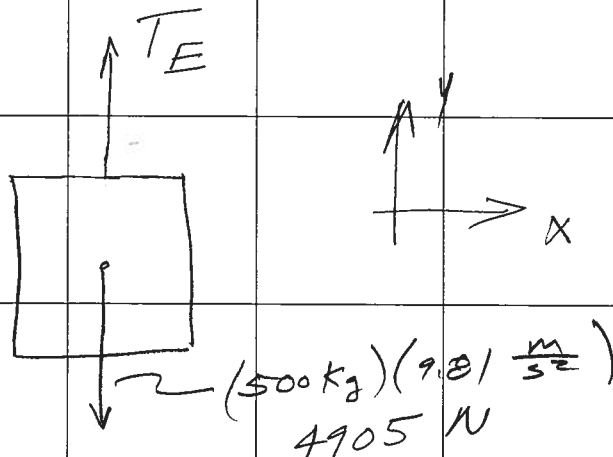
Show results on F.B.D of cylinder



A body with a mass of 500 kg is supported by the flexible cable system shown. Determine the tensions in cables A, B, C, D, and E.



This problem requires three F.B.D.'s.  
We will start with the mass



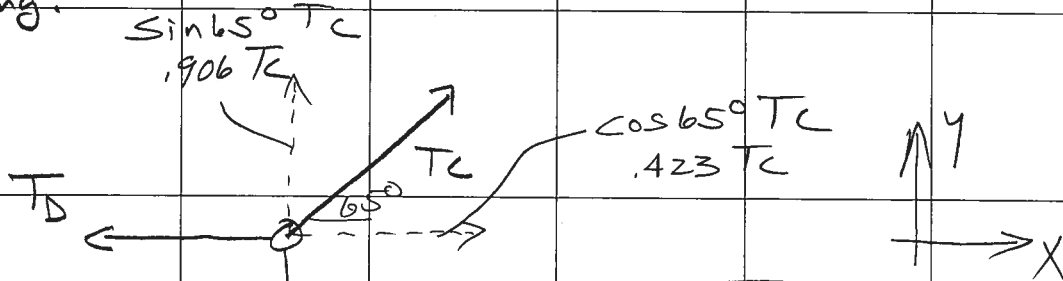
Scalar equation of equilibrium

$$\sum F_y = 0$$

(1)  $T_E - 4905 = 0$

(2)  $T_E = 4905 \text{ N}$   as shown

Next move to F.B.D of the lower ring.




This force is down because of Newton's 3<sup>rd</sup> law

Scalar equations of equilibrium

$$\sum F_y = 0$$


(3)  $.906 T_C - 4905 = 0$

(4)  $T_C = 5413.9 \text{ N}$   as shown

$$\sum F_x = 0$$

(5)  $-T_D + .423 T_C = 0$

(6)  $T_D = .423(5413.9)$

(7)  $T_D = 2290.1 \text{ N}$   as shown

Finally move to F.B.D. of the upper ring

$\sin 30^\circ T_B = .500 T_B$   
 $\cos 30^\circ T_B = .866 T_B$   
 $\sin 45^\circ T_A = .707 T_A$   
 $\cos 45^\circ T_A = .707 T_A$   
 $\sin 65^\circ (5413.9) = 4906.7 \text{ N}$   
 $T_C = 5413.9 \text{ N}$   
 $\cos 65^\circ (5413.9) = 2288.0 \text{ N}$

This force is opposite in direction to its appearance on the previous F.B.D. because of Newton's 3rd law

Scalar Equations of equilibrium

$\sum F_y = 0$

(8)  $.707 T_A + .500 T_B - 4906.7 = 0$

(9)  $T_B = 9813.4 - 1.414 T_A$

$\sum F_x = 0$

(10)  $-2288.0 - .707 T_A + .866 T_B = 0$

(11)  $.866 T_B = .707 T_A + 2288.0$

(12)  $T_B = .816 T_A + 2642.0$

The value of  $T_A$  can then be found by combining equations (9) and (12)

(13)

$$9813.4 - 1.414T_A = .816T_A + 2642.0$$

(14)

$$2.230T_A = 7171.4$$

(15)

$$\underline{T_A = 3215.9 \text{ N}}$$

as shown

Then the value of  $T_B$  can be found from either equation (9) or (2)

$$T_B = 9813.4 - 1.414(3215.9)$$

$$\underline{T_B = 5266.1}$$

as shown

or

$$T_B = (.816)(3215.9) + 2642.0$$

$$\underline{T_B = 5266.2}$$

as shown

Result

$$T_A = 3215.9 \text{ N}, T_B = 5266.1 \text{ N}$$

$$T_C = 5413.9 \text{ N}, T_D = 2290.1 \text{ N}$$

$$T_E = 4905 \text{ N}$$